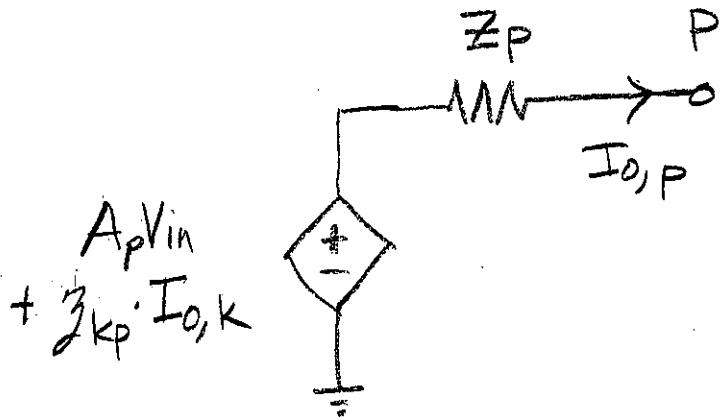


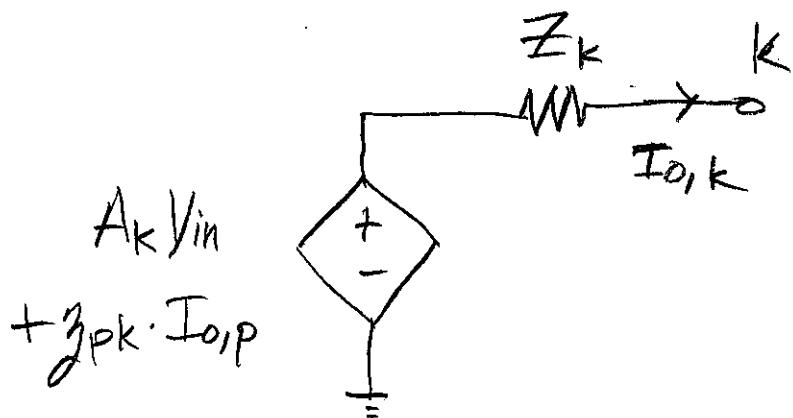
Looking in to the plate output node, there is a Thevenin equivalent circuit:



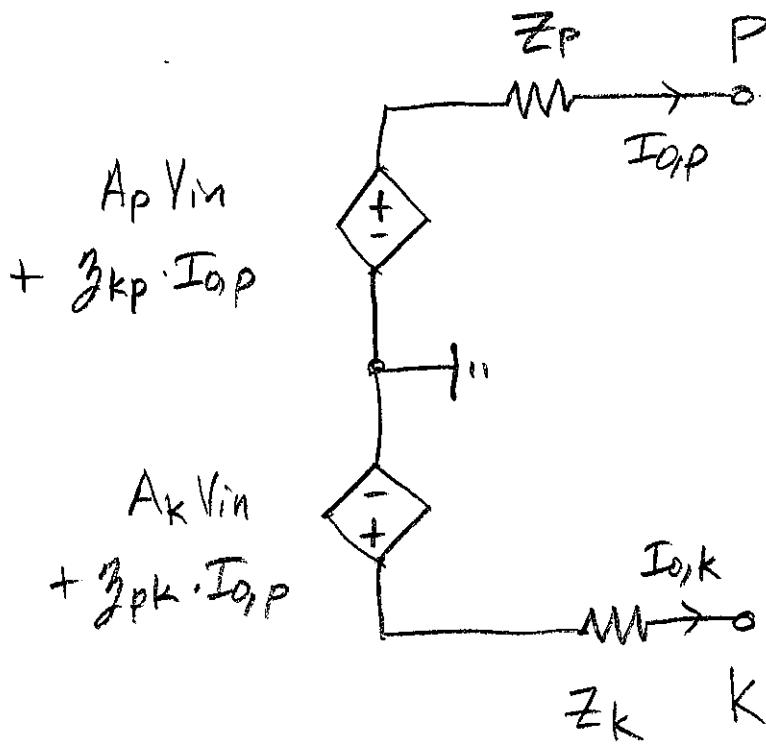
$$\text{The (AC) voltage } P \text{ is: } V_p = A V_{in} + g_{kp} I_{o,k} - Z_p I_{o,p}$$

Note that the voltage at the plate node P depends on 3 terms:  $V_{in}$ ,  $I_{o,k}$  &  $I_{o,p}$ . But only one of those terms involves  $Z_p$ , the output impedance. This is crucial! If you are using the voltage at node P to determine  $Z_p$ , you must zero the other two terms or, at least, the change in the other two terms.

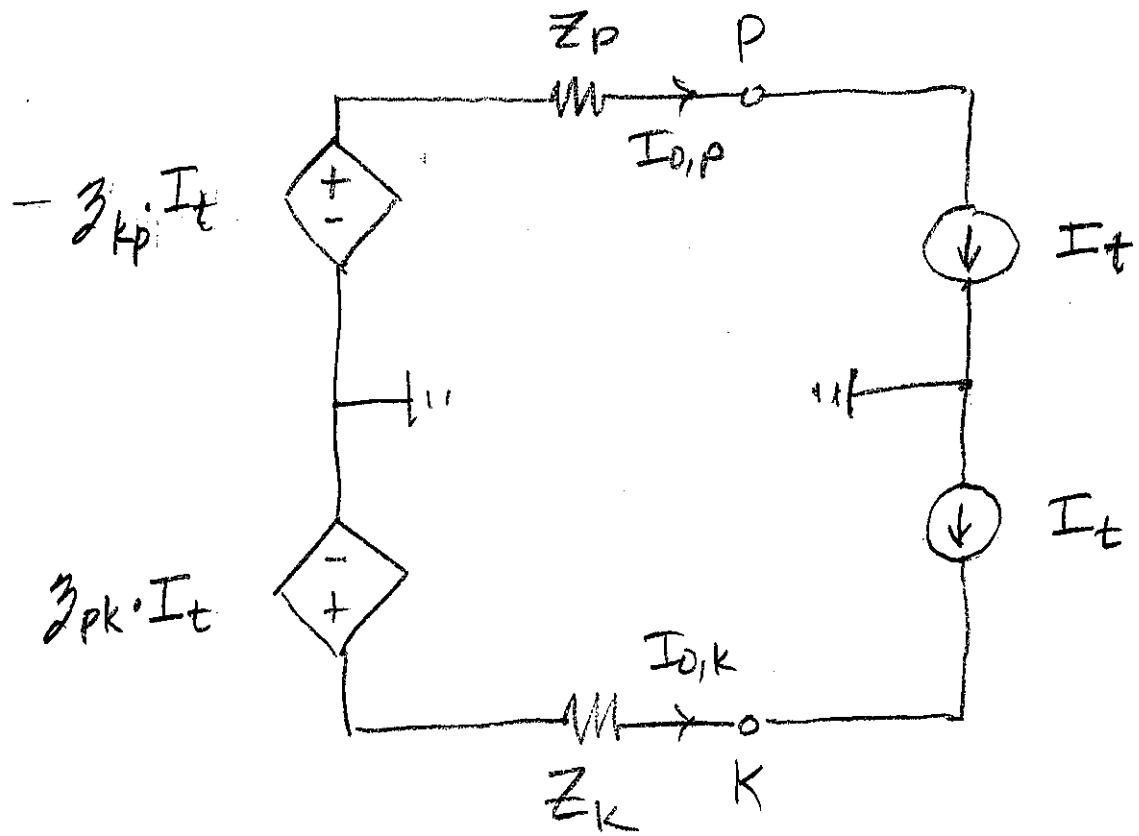
A similar Thevenin equivalent circuit exists for the cathode output node:



Putting these together:



To measure  $Z_p$  &  $Z_k$  using the voltage at P & K requires that  $V_{in}$  & the other node's current be zeroed. I<sub>E</sub> equal & opposite node currents are used,  $Z_p$  &  $Z_k$  cannot be found.



$$\text{The voltage @ P : } V_p = -(Z_{kp} + Z_p) I_t$$

$$\text{The voltage @ K : } V_k = (Z_{pk} + Z_k) I_t$$

Since the transfer impedances,  $Z_{kp}$  &  $Z_{pk}$  contribute to the voltage at the output nodes,  $Z_p$  &  $Z_k$  cannot be found unless  $Z_{kp}$  &  $Z_{pk}$  are known.